

# Computer Security: Secret Key Crypto

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# Outline

Crypto intro

Symmetric crypto

Achieving security goals with symmetric crypto

- Confidentiality

- Integrity

- Authentication

Modes for encryption and authentication

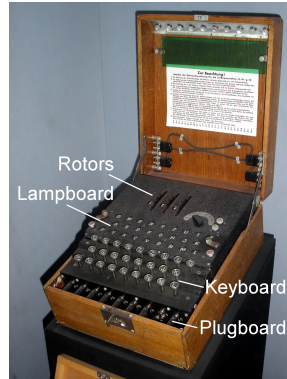
e-Passport example



# Old cryptographic systems



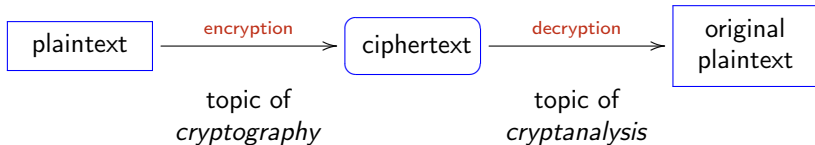
Scytala from Sparta



German Enigma from WWII

Check out <http://cryptomuseum.com/> for a large collection of (Dutch) devices

## Situation & terminology



Officially,

*cryptology* = cryptography + cryptanalysis

This is the official, somewhat outdated terminology. But often “crypto” or “cryptography” is used for “cryptology”.





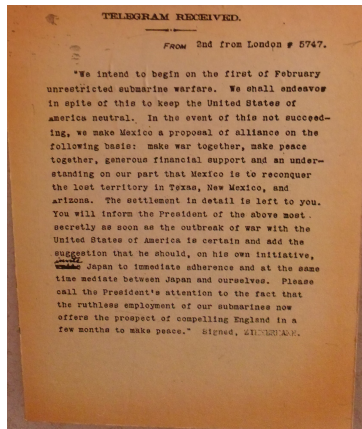
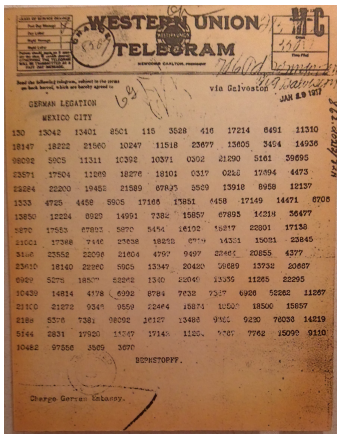
## Cryptanalysis that changed the course of history

- ▶ The **Zimmermann telegram** in WWI, sent by Germany to incite war between Mexico & US, intercepted by the British and passed on the US; it brought the US into the war.
- ▶ The breaking of the German **Enigma** in WWII by the British, shortening the war by probably at least a year.
- ▶ The breaking of the Japanese **JN25** code in WWII by the US
  - it provided crucial intelligence in the Midway battle (1942)
  - and for ambushing the plane of Marshal Yamamoto (1943)

(In the 1960s and 1970s cryptography in NL was probably third best in the world, with great work at MID and Philips Usfa.)



# Zimmermann telegram, ciphertext and cleartext



(pictures from National Cryptologic Museum)

## Example encryption

### Example

The message:

*Dit wil ik versleutelen!*

becomes (with PGP-encrypt, in hexadecimals):

```
30a4 efde f665 d409 4946 c8b0 d82b 7620
312c bf1b 7f3a 8781 086d 069b b6e0 60a2
94c2 9b27 440c affd 5343 ca47 d0b4 afce 5719
```

Modern, software-based crypto systems are **virtually unbreakable**, when:

- ▶ well-designed and openly evaluated
- ▶ properly used, esp. when keys are kept secret



## Crypto system

The en/de-cryption is done with:

$$\begin{array}{l} \text{crypto system} \\ \text{(or encryption scheme, or cipher)} \end{array} = \left\{ \begin{array}{l} \text{algorithm} \\ + \\ \text{key (parameter of the algorithm)} \end{array} \right.$$

### Kerckhoffs principle

The strength of the crypto system must rely solely on the secrecy of the key; the algorithm must be (assumed to be) public.

Modern interpretation of this principle:

- ▶ Algorithm must arise from public scrutiny, eg. via competition (organised by NIST for AES & Keccak/Sha3)
- ▶ Non-public algorithms must be distrusted (think of DVD-encryption, GSM, Mifare, . . . , all broken)



## Ordering crypto primitives via numbers of keys

number of keys	name	key names	notation
0	hash functions	—	$h(m)$
1	symmetric crypto	shared, secret	$K\{m\}$
2	asymmetric crypto (or public key crypto)	public & private keypair	$\{m\}_K$

We start with symmetric key crypto.



## First a few words on ... words

- ▶ Crypto systems transform **plaintext** to **cipher text**
- ▶ They transform **words** to **words**
- ▶ Words (aka. strings) are sequences of letters, taken from an **alphabet**; in practice words are bitstrings



# Alphabets

In principle, an **alphabet** is an arbitrary set  $A$ . In this context, the elements  $a \in A$  are called **letters**.

In practice, an alphabet is a finite set  $A = \{a_1, \dots, a_n\}$  of letters.

Examples:

- ▶  $A = \{0, 1\}$ , the alphabet of bits
- ▶  $A = \{a, b, c, \dots, z\}$ , the alphabet of lowercase Latin characters;
- ▶  $A = \{00, 01, \dots, 7F\}$  the ASCII alphabet, as hexadecimals;  
(Recall:  $7F = 127 = 2^7 - 1$ .)
- ▶ The extended ASCII alphabet of 256 characters
- ▶ UTF alphabets involve even more characters  
(depending on version, like UTF-16, UTF-32)



## Words

A **word** over an alphabet  $A$  is a finite sequence  $w = a_1 a_2 \cdots a_n$  of letters  $a_i \in A$ . The **length** of this  $w$  is  $n$ , obviously.

One writes  $A^*$  for the set of words over  $A$  (aka. the Kleene star)

For instance,  $\{0, 1\}^*$  is the set of binary words.

We write  $|$ , or sometimes just a comma, for **concatenation** of words.  
Hence:

$$a_1 a_2 \cdots a_n \mid b_1 b_2 \cdots b_m = a_1 a_2 \cdots a_n b_1 b_2 \cdots b_m.$$

On binary words with the same length we write  $\oplus$  for bitwise **XOR**:

$$\begin{aligned} & (a_1 a_2 \cdots a_n) \oplus (b_1 b_2 \cdots b_n) \\ &= (a_1 \mathbf{XOR} b_1)(a_2 \mathbf{XOR} b_2) \cdots (a_n \mathbf{XOR} b_n). \end{aligned}$$

Encryption/decryption are functions from words to words  
(usually binary).





## Symmetric crypto: three basic techniques

Suppose we have a message/word  $m$  and wish to (symmetrically) encrypt it to  $K\{m\}$ , using key  $K$ . There are three basic techniques:

- (1) **Substitution**: exchange characters from the alphabet, like in Caesar's cipher.

The key  $K$  is: the character substitution/exchange function

- (2) **Transposition**: exchange positions of characters, block-by-block.

The key  $K$  is: the position exchange function

- (3) **One-time-pad**: take bitwise XOR with keystream, for binary messages only.

The key  $K$  is: the keystream, which must have at least the same length as the message

Ciphers like DES and AES involve repeated combinations of substitution and transposition, depending on a secret key



## Substitution: exchange of characters

The key is a function  $K: A \rightarrow A$ , which is **bijjective**: it has an inverse  $K^{-1}: A \rightarrow A$ , satisfying

$$K^{-1} \circ K = \text{identity} = K \circ K^{-1}.$$

This reversibility is needed for decryption.

This substitution function  $K$  is **extended to words** via:

$$m = a_1 a_2 \cdots a_n \quad \text{becomes} \quad K\{m\} = K(a_1)K(a_2) \cdots K(a_n).$$



## Substitution: Example

- ▶ Caesar's cipher is determined by the substitution function/key

$$C: \{a, b, \dots, z\} \longrightarrow \{a, b, \dots, z\},$$

given by:

$$C(a) = d, \quad C(b) = e, \quad \dots \quad C(z) = c.$$

- ▶ **Example:**

$$\begin{aligned} C\{\text{ikbengek}\} &= C(i)C(k)C(b)C(e)C(n)C(g)C(e)C(k) \\ &= \text{lnhqjhn}. \end{aligned}$$

- ▶ What is the inverse function  $C^{-1}: \{a, \dots, z\} \longrightarrow \{a, \dots, z\}$ ?  
Use it to describe decryption!
- ▶ rot13 is a 13-step-shift, which is its own inverse.



## Substitution: weakness

The main attack on substitution ciphers is **frequency analysis**.

- ▶ In English, e is the most common letter, followed by t, o, a, n, i, etc. There are frequency tables on the web.
- ▶ The most frequently occurring letter in a (substitution) ciphertext corresponds thus most probably to e. You will see this most clearly by doing an exercise.



## Transposition: exchange of positions

### Transposition via blocks and keys

- ▶ For a transposition cipher one first chooses a **blocksize**  $N$ , like  $N = 64$ , or  $N = 128$ , or  $N = 256$ .
- ▶ The key  $K$  is an exchange of positions within such a block, via a **bijective** function  $K: \{1, 2, \dots, N\} \rightarrow \{1, 2, \dots, N\}$ .

### Encryption of words/messages

- ▶ A word  $m$  is first chopped-up into blocks of length  $N$ , as in:

$$m = \underbrace{a_1 a_2 \cdots a_N}_{\text{block 1}} \underbrace{b_1 b_2 \cdots b_N}_{\text{block 2}} \cdots$$

- ▶ At the end arbitrary letters (like  $x$ ) are added to fill the remaining block: such **padding** must be chosen carefully
- ▶ For encryption of  $m$  the transposition  $K$  is applied per block:

$$K\{m\} = \underbrace{a_{K(1)} a_{K(2)} \cdots a_{K(N)}}_{\text{block 1}} \underbrace{b_{K(1)} b_{K(2)} \cdots b_{K(N)}}_{\text{block 2}} \cdots$$



## Transposition: Example

### Transposition of *ikbengek*

- ▶ Choose blocksize, say  $N = 3$
- ▶ Choose key  $K: \{1, 2, 3\} \rightarrow \{1, 2, 3\}$  by:

$$K(1) = 3, \quad K(2) = 1, \quad K(3) = 2.$$

- ▶ Now encrypt a message block-by-block:

$$\begin{aligned} K\{\text{ikbengek}\} &= K\{\underbrace{\text{ikb}} \quad \underbrace{\text{eng}} \quad \underbrace{\text{ekx}}\} \\ &= \underbrace{\text{bik}} \quad \underbrace{\text{gen}} \quad \underbrace{\text{xek}} \\ &= \text{bikgenxek}. \end{aligned}$$

The letter 'x' is added for **padding**: filling up empty spaces



## Columnar transposition example

- ▶ The key is an ordinary word, say **bart**
- ▶ The plain text is written under the key, as in:

b	a	r	t
i	k	b	e
n	k	n	e
t	t	e	r
g	e	k	x

- ▶ Now read off the cipher text as columns, using the alphabetical order of the key:

kkteintgbnekeerx

- ▶ See e.g. <http://practicalcryptography.com/ciphers/columnar-transposition-cipher/>
- ▶ Or many software tools, like **GCipher** under linux



## Transposition: weakness

- ▶ First, a transposition does not change the letter frequencies. This is often an indication of transposition
- ▶ Next, via a lot of fiddling, frequent 2-letter combinations can be exploited to see the structure of transpositions.





## Combining substitution and transposition

### Example: Vigenère cipher (from 16th century)

- ▶ It applies different (shift) substitution ciphers, depending on the letters of a keyword
- ▶ This is called a **polyalphabetic** cipher
- ▶ Broken in 19th century by Babbage, and also by Kasiski

### DES and AES

Combine substitution and transposition in several rounds



## Vigenère in practice: en/de-cryption by hand

Confederate cipher disc, from the American Civil War (1861-1865)



Such discs are the precursors of rotors, in mechanical crypto devices like the Enigma.

## One-time pad (OTP), or Vernam cipher

- ▶ Assume a binary message  $m = b_1 b_2 \cdots b_n \in \{0, 1\}^*$ , so that  $b_i \in \{0, 1\}$ .
- ▶ Assume a key of (at least) the same length  $K = k_1 k_2 \cdots k_n \in \{0, 1\}^*$ .
- ▶ For **encryption**, perform bitwise XOR, as in:

$$K\{m\} = m \oplus K = (b_1 \mathbf{XOR} k_1)(b_2 \mathbf{XOR} k_2) \cdots (b_n \mathbf{XOR} k_n).$$

- ▶ **Decryption** is the same as encryption, using basic properties of XOR:  
$$\begin{aligned}(b \mathbf{XOR} k) \mathbf{XOR} k &= b \mathbf{XOR} (k \mathbf{XOR} k) \\ &= b \mathbf{XOR} 0 \\ &= b.\end{aligned}$$



## One-time pad in practice

- ▶ OTPs are very secure, in principle, when the key material is truly random
- ▶ ...but OTPs require a lot of key material (one can use, say a DVD as shared secret key)
- ▶ Running out of key material is a problem, because keys **may never be re-used**, XOR-ing ciphertexts reveals information:

$$(b \text{ XOR } k) \text{ XOR } (c \text{ XOR } k) = b \text{ XOR } c.$$



## Key-reuse blunders do happen in practice!

- ▶ In the **Mifare CLASSIC** cipher, part of the key stream is re-used (for parity bits), leaking some information. Also, the “abort” command is sent encrypted, leaking further keystream.
- ▶ By **Russian spies** in the 1940s, who ran out of keys.  
The US-UK *Venona* project recovered a lot of traffic, and revealed famous atom spies like Klaus Fuchs  
Even today there are US intelligence officials working on Venona material

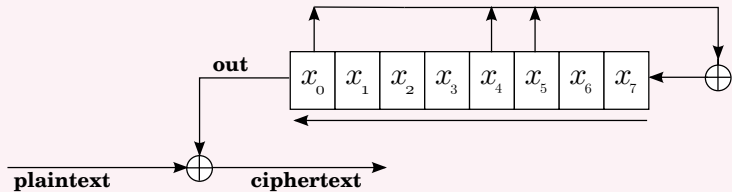


# Public Venona files in National Cryptologic Museum



# One-time pad key stream generator via LFSR

## Example LFSR = Linear Feedback Shift Register



- ▶ With every clock cycle the register shifts to the left, and a new value  $x_7 = x_0 \mathbf{XOR} x_4 \mathbf{XOR} x_5$  is shifted in on the right.
- ▶ **Illustration:** if the current state is **11001010**, then the next state is: **10010100**
- ▶ (“good” LFSRs, with well-chosen feedback, contain all  $2^n$  words)



## LFSR usage

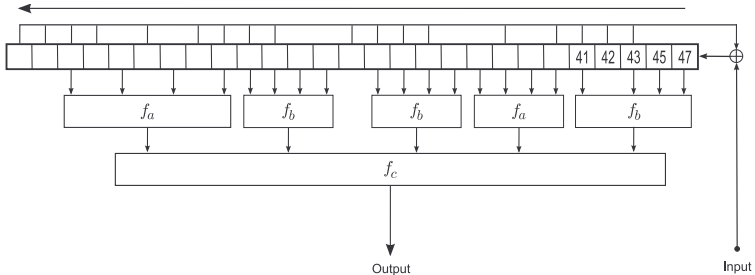
- ▶ LFSRs are frequently used, since they are fast and easy to implement in cheap hardware
- ▶ They can be analysed using basic linear algebra (eg. are all possible states actually reached?)
- ▶ The **Mifare CLASSIC** chipcard (from early 1990s) has 2 LFSRs:
  - a 16-bit register for generating (very weak!) “randoms”
  - a 48-bit register (plus “filter” function) for its **Crypto1** stream cipher

This system is completely broken (too few bits, design errors)
- ▶ The A5/1 encryption cipher used in **GSM** works with three different LFSRs. It is also broken.





# Mifare CLASSIC LFSR



- ▶ The Mifare producer (NXP) tried to prevent publication of this LFSR via a court case (*kort geding*) in July 2008.
- ▶ Probably all of you have this LFSR in your pocket!



## Symmetric crypto, in practice I

### Common implementations (see Wikipedia for details)

- ▶ **DES** from 1977, with 64 bit blocks and 56 bits keys.  
DES is now obsolete, only surviving as **triple-DES**, in:

$$3DES = \left( \cdot \xrightarrow{K_1 \text{ encrypt}} \cdot \xrightarrow{K_2 \text{ decrypt}} \cdot \xrightarrow{K_3 \text{ encrypt}} \cdot \right)$$

Backwards compatibility with (single) DES is achieved via  $K_3 = K_2$ .  
DES is fast in hardware, relatively slow in software.

- ▶ **AES** from 1997 (elected standard since 2001).  
Standard block length is 128 bit, key lengths are 128 and 256. AES  
is also fast in software, via software-oriented design.

Different **modes of use** will be discussed later.



## Symmetric crypto, in practice II

### In this course

We often use  $K\{m\}$  as a *black box* for symmetric encryption, without being very specific about which kind of cipher is used; in practice we assume the cipher is unbreakable.

### Main disadvantages of symmetric crypto

- ▶ Large number of keys: if  $N$  people wish to communicate pairwise securely, one needs:  $\binom{N}{2} = \frac{N(N-1)}{2}$  different secret keys.
  - By using a Trusted Third Party (TTP) it can be reduced to  $N$ .
- ▶ If Alice and Bob share a key  $K$ , and Bob is sloppy and loses  $K$ , this affects Alice.



## Security protocols are notoriously difficult

Roger Needham:

*Security protocols are three-line programs that people still manage to get wrong*

**Famous example:** The **Needham-Schroeder** mutual authentication protocol (see later) which contained an error that remained undetected for some 20 years

- ▶ An attack was found in 1996 by Gavin Lowe, using a model checker
- ▶ The attack involved two different interleaved runs of the protocol



## What is a security protocol, really?

- ▶ A security protocol is a list of communications of the form

$$A \longrightarrow B : m$$

which is read as: Alices sends message  $m$  to Bob.

- ▶ The sequence of such messages is intended to achieve a security goal, like confidentiality, integrity, one-way/mutual authentication, non-repudiation, etc.
- ▶ At each step of the protocol the beliefs of the participants change: eg. after receiving such return message, Alice knows that Bob has seen . . .
- ▶ if something goes wrong, the protocol is aborted.



## Attacker model

- ▶ Implicitly there is an **attacker** (“Eve”) who tries to undermine the goal of the protocol
  - “Dolev-Yao” attacker capabilities are assumed: the attacker can read, delete, copy, rebuild messages
  - but the attacker cannot break encryptions (with unknown keys) or hashes
- ▶ Security protocols are important part of the field (and of this course)
  - You must know basic protocol primitives by heart



## Protocol basics for confidentiality

Assume Alice and Bob share a secret key  $K_{AB}$ , and can do symmetric encryption.

(The index 'AB' in  $K_{AB}$  has no mathematical meaning; it suggests notationally that it is a shared key between  $A$  and  $B$ .)

**Confidential exchange** of a message  $m$  proceeds via:

$$A \longrightarrow B : K_{AB}\{m\}$$

Is confidentiality achieved? Can Eve read the plaintext  $m$ ? What are the assumptions involved?



## Sequence numbers

- ▶ We study abstract security protocols — not actual implementations
- ▶ But in such implementations, all messages should be numbered.  
Hence we should really send:

$$A \longrightarrow B: K_{AB}\{i, m\}$$

where  $i \in \mathbb{N}$  is a so-called sequence number. It should be incremented with every message (overflow must be handled)

- ▶ Sequence numbers are used primarily against **loss** and **replay** of messages
  - an additional advantage is that identical messages yield different ciphertexts.
- ▶ We do not mention sequence numbers explicitly, and assume they are already included implicitly (when needed)





## Also integrity?

**Question:** does  $A \rightarrow B: K\{m\}$  also guarantee integrity?

**NO!** For example,

- ▶ Assume the encryption is done via a one-time pad
  - ▶ An attacker can easily change one bit in the ciphertext
  - ▶ Possibly the result still makes sense — but has a different meaning
- Hence: there is no automatic (cryptographic) test that  $B$  can perform in order to verify that the message he receives is the one that was sent by  $A$ .



## Security in the future

- ▶ Recall that the attacker can read (and store) all messages; he can do this over a long time period.
- ▶ Hence the **strength of the encryption** (e.g. keylength) must be chosen appropriately.
  - Tables available online, e.g. [keylength.com](http://keylength.com)
- ▶ Remember *Venona*: if a key ever gets (partially) compromised, old messages may become readable.
  - Some protocols protect against such compromise, and are called **forward secure**
  - Such forward security is important e.g. in e-voting



## Protocol basics for integrity

Suppose Alice and Bob wish to be really sure that what Bob receives is what has been sent by Alice.

They use:

$$A \longrightarrow B: m, K_{AB}\{m\}$$

(or, shorter  $A \longrightarrow B: m, K_{AB}\{h(m)\}$ )

where  $h$  is a hash function (see later).

- ▶ Is the integrity goal achieved? How? What will Bob detect when Eve replaces the plaintext  $m$  by  $m'$ ?
- ▶ What are the assumptions?
- ▶ Is confidentiality also achieved?
- ▶ Better explanation comes later, in terms of **MACs** (message authentication codes).



## Both confidentiality and integrity

Obvious combinations:

$$A \longrightarrow B: K\{m\}, K\{K\{m\}\} \quad \text{or} \quad A \longrightarrow B: K\{m, K\{m\}\}$$

- ▶ This is not wise for one-time pads, since the message is revealed by two successive encryptions.
- ▶ One should use **two different keys**, one for confidentiality, and one for integrity.
- ▶ One can then still argue where to put the emphasis of the protection
  - confidentiality first  $K_1\{m\}, K_2\{K_1\{m\}\}$
  - integrity first  $K_1\{m, K_2\{m\}\}$ .

In general integrity is more important than confidentiality, so it needs to be protected better, like in the second option.



## Authentication via shared secret

It is quite common to use a shared secret for authentication

- ▶ if I first share a secret with you, then I will henceforth conclude that anyone who can produce this secret is you.
- ▶ Example of authentication by “something you know”
- ▶ **Problem:** in every authentication session, the secret is used in the clear.



## Something you know examples

- ▶ Passwords used by (military) guards to allow access.  
(The use of the secret word *Scheveningen* for this purpose in May 1940 also involved authentication “by skill”)
- ▶ PINs in ATM/payment transactions: one-way authentication between a customer ( $C$ ) and the bank ( $B$ ).

$C \rightarrow B$ : number of card of  $C$  (e.g. via magnetic stripe)

$B \rightarrow C$ : “prove that you are  $C$ ”

$C \rightarrow B$ : PIN of  $C$

This is very weak and has led to widespread **skimming**



## Authentication by challenge-response

It is much better to achieve authentication without using the shared secret *in the clear*.

- ▶ **Idea:** send a riddle that can only be solved (efficiently) with the secret key
- ▶ It is important that the riddle is **fresh** upon every use.  
(Which attacker capabilities are used to exploit a non-fresh riddle?)
- ▶ Typically this freshness is achieved via a **nonce**: a number used once.
  - Range of numbers is relevant (say  $2^{128}$ )
  - Also randomness / unpredictability



## Challenge-response authentication examples

$$\begin{aligned} A &\longrightarrow B: A, N_A && (N_A \text{ is a fresh nonce}) \\ B &\longrightarrow A: K_{AB}\{N_A\} \end{aligned}$$

At this stage  $A$  knows she is talking to  $B$ , because only  $B$ , so she assumes, possesses the shared key  $K_{AB}$  and can compute  $K_{AB}\{N_A\}$ .

There are several inessential **variations**:

$$\begin{aligned} A &\longrightarrow B: A, K_{AB}\{N_A\} \\ B &\longrightarrow A: N_A \end{aligned}$$

Or:

$$\begin{aligned} A &\longrightarrow B: A, K_{AB}\{N_A\} \\ B &\longrightarrow A: K_{AB}\{N_A + 1\} \end{aligned}$$

**NOTE:** authentication key must be different from encryption key!





## Two-way authentication options

Naive two-way, combined version:

$$\begin{aligned}A &\longrightarrow B: A, N_A \\B &\longrightarrow A: K_{AB}\{N_A\}, N_B \\A &\longrightarrow B: K_{AB}\{N_B\}\end{aligned}$$

Or:

$$\begin{aligned}A &\longrightarrow B: K_{AB}\{N_A, \text{timestamp}\} \\B &\longrightarrow A: N_A\end{aligned}$$



## Nonces, timestamps, sequence numbers

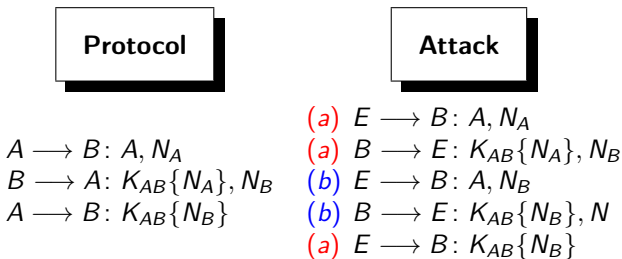
All of these alternatives for freshness have pros and cons:

- ▶ **Random nonces** require a secure random number generator
  - if there is one thing that computers are *not* good at, it is generating random numbers
- ▶ **Timestamps** require reliable/secure/synchronised clocks
- ▶ **sequence numbers** are predictable (so should be used more carefully) and can wrap around. They are a special form of nonce.



## Reflection attack (*Koekje van eigen deeg*)

A **reflection attack** is possible for the “naive” two-way protocol by mixing two sessions (written as ‘a’ and ‘b’):



In the end  $B$  thinks that he is talking to  $A$ , but in reality he is talking to the intruder  $E$ . Note that  $E$  can take the initiative for this attack.



## Attack prevention

A solution to this attack is to use different keys for the two directions, as in:

$$\begin{aligned}A &\longrightarrow B: A, N_A \\B &\longrightarrow A: K_{AB}\{N_A\}, N_B \\A &\longrightarrow B: K_{BA}\{N_B\}\end{aligned}$$

A more economical solution is to use *domain separation*:

- ▶ code challenge *from* Alice differently than challenge *for* Alice
- ▶ e.g., challenge for Alice starts with bit 1, from Alice with bit 0

This gives

$$\begin{aligned}A &\longrightarrow B: A, N_A \\B &\longrightarrow A: K_{AB}\{1\|N_A\}, N_B \\A &\longrightarrow B: K_{AB}\{0\|N_B\}\end{aligned}$$



## Initiator must authenticate first

Another solution is to let the initiator authenticate itself first, as in:

$A \rightarrow B$ : “Hi, I’m A; let’s talk”

$B \rightarrow A$ : “Sure, but first increment  $K_{AB}\{N_B\}$ ”

$A \rightarrow B$ :  $K_{AB}\{N_B + 1\}, K_{AB}\{N_A\}$

$B \rightarrow A$ : “Wow, you’re really A; this shows I’m B:  $K_{AB}\{N_A - 1\}$ ”

$A \rightarrow B$ : “Great; we now also have a **session key**  $K$ ”

(namely  $K = N_A \oplus N_B$ )

- ▶ This protocol has additional benefit that it sets up a session key determined from both sides.



## Man-in-the-middle attack

All presented protocols are vulnerable to a **man in the middle attack**:

**Protocol**

$$\begin{aligned} A &\longrightarrow B: A, N_A \\ B &\longrightarrow A: K_{AB}\{N_A\}, N_B \\ A &\longrightarrow B: K_{AB}\{N_B\} \end{aligned}$$

**Attack**

$$\begin{aligned} A &\longrightarrow E: A, N_A \\ E &\longrightarrow B: A, N_A \\ B &\longrightarrow E: K_{AB}\{N_A\}, N_B \\ E &\longrightarrow A: K_{AB}\{N_A\}, N_B \\ A &\longrightarrow E: K_{AB}\{N_B\} \\ E &\longrightarrow B: K_{AB}\{N_B\} \end{aligned}$$

- ▶ As a result,  $A$  thinks that  $E$  is  $B$ , and  $B$  thinks that  $E$  is  $A$ .
- ▶ Note that Eve does not take the initiative, but waits until she can intercept an initiative of  $A$ .  
(any router performs a relay attack, in a strict sense)



## More on man-in-the-middle (MITM) attacks

- ▶ Car key relay attack
- ▶ Serious attack scenario in internet banking
  - Often occurring as “man-in-the-browser” attack
  - Attacker manipulates what is shown in the browser, and sends false data to the bank (via usual encrypted connection)
- ▶ Forged certificates obtained in **DigiNotar** (2011) attack were probably used by Iran to do a man-in-the-middle attack on local, Iranian Gmail users
  - by setting up a false intermediate Gmail site
  - the NSA is now accused of similar attacks, against Petrobras
- ▶ Nice story, but not historically correct: Mig-in-the-middle see Ross Anderson’s book *Security Engineering* (freely available, google it)



## Diversified keys, AKA Key Derivation

Recall the **key management** problem of secret key crypto:

- ▶  $n$  interacting users require  $\frac{n(n-1)}{2}$  keys
- ▶ In payment/transport smart cards:  $n$  cards and  $m$  terminals:  $nm$  keys

**Solution:** **Diversified keys:** secret key  $K_C$  of card  $C$  from its identity, using some (super secret) masterkey  $K_M$ :  $K_C = K_M\{\text{Id}_C\}$ .

The card can then authenticate itself to a terminal  $T$  via:

$C \rightarrow T: \text{Id}_C$  ( $T$  checks  $\text{Id}_C$  is in range, and computes  $K_C$ )

$T \rightarrow C: N$

$C \rightarrow T: K_C\{N\}$ .

- ▶ Used in OV-chip, PIN transactions etc.
- ▶ Offline:  $K_M$  in all terminals; online  $K_M$  only in central system
- ▶ Multi-level: session keys  $K_S$  derived from  $K_C$  and card transaction counter:  $K_S = K_C\{Nr_C\}$



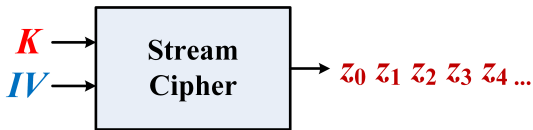


# Active attack overview

- ▶ **Replay attack**
  - eavesdropped e.g., login name + password, is sent again
  - countermeasure: include nonce, checked by verifier
- ▶ **Reflection attack**
  - typical attack on challenge-response protocols
  - data from one session is re-used in another session
  - countermeasure: include ID info; key or domain separation
- ▶ **Man-in-the-middle (MITM) attack**
  - *passive* MITM version, without modification: **relay** attack
  - *active* MITM version involves re-encryption
  - countermeasure: protecting keys, out-of-band methods
- ▶ **Lunch-break attack**
  - typical for physical access: car keys, access badge
  - attacker gets *responses* from prover and uses them later
  - countermeasure: unpredictable challenge from verifier (freshness)



## Stream ciphers

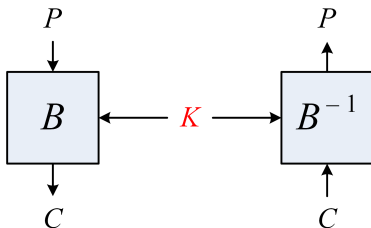


$$K\{IV\} = Z = z_0z_1z_2 \dots$$

- ▶ Generates keystream bits  $z_t$  from
  - $K$ : secret, typically 128 or 256 bits
  - $IV$ : initial value, for generating multiple keystreams per key
- ▶  $z_t$  can be a bit or a sequences of bits, e.g. a 32-bit word
- ▶  $Z$  typically used for one-time pad encryption:  $C = M \oplus Z$
- ▶ Sometimes also for authentication: response =  $K\{N\}$



## Block ciphers



- ▶ Function  $B$  mapping  $b$ -bit string  $P$  to  $b$ -bit string  $C$ 
  - depends on a key  $C = K\{P\}$
  - must be invertible (“*permutation*”):  $P = K^{-1}\{C\}$
- ▶ Dimensions: block length  $b$  and **key length**
- ▶ Examples:
  - DES: 64-bit block, 56-bit key
  - AES: 128-bit block, keys of 128, 192 or 256 bits

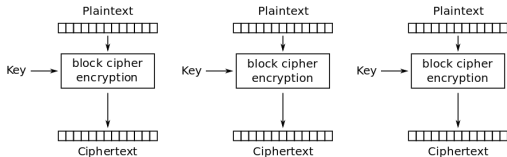


## Block cipher modes for encryption

- ▶ DES can encipher 8-byte messages, AES of 16-byte messages
  - what about longer and shorter messages?
  - what about real-time datastreams: audio or video?
  - two approaches: **block encryption** and **stream encryption**
- ▶ Block encryption modes
  - split the message in blocks
  - after **padding** last *incomplete* block if needed
  - apply block cipher to blocks *in some way*
- ▶ Stream encryption modes
  - build a stream cipher with a block cipher as building block



# Electronic CodeBook Mode (ECB)

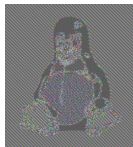


Electronic Codebook (ECB) mode encryption

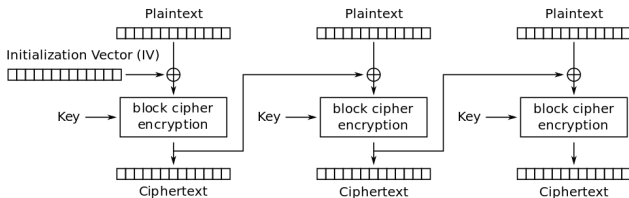
- ▶ Simplest possible way to encrypt with a block cipher
- ▶ Advantage: parallelizable
- ▶ Limitation: equal plaintext blocks → equal ciphertext blocks:



under ECB gives



## Cipher Block Chaining mode (CBC)

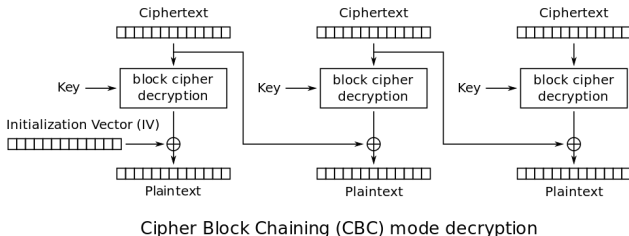


Cipher Block Chaining (CBC) mode encryption

- ▶ *ECB with plaintext block randomized by previous ciphertext block*
- ▶ First plaintext block randomized with **Initial Value (IV)**
- ▶ Solves information leakage in ECB (partially):
  - equal plaintext blocks do not lead to equal ciphertext blocks
  - requires randomly generating and transferring *IV*
  - this is in practice often neglected, e.g. *IV* fixed to 0



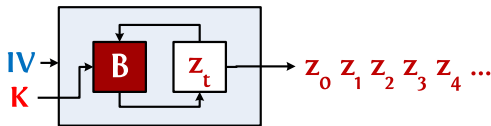
## Cipher Block Chaining mode (cont'd)



- ▶ Properties of CBC
  - encryption strictly serial, decryption can be parallel
  - *IV* must be managed and transferred



## Stream encryption: Output FeedBack mode (OFB)

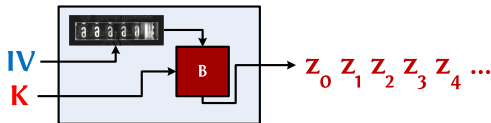


- ▶ Stream cipher:
  - $z_0 = K\{IV\}$
  - $z_1 = K\{z_0\}$
  - $z_i = K\{z_{i-1}\}$
  - key stream:  $K\{IV\}, K\{K\{IV\}\}, K\{K\{K\{IV\}\}\}, \dots$
- ▶ Properties
  - strictly serial
  - no need for  $K^{-1}$  (valid for all stream encryption)





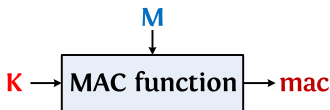
## Stream encryption: Counter mode



- ▶ Stream cipher:
  - $z_0 = K\{IV\}$
  - $z_1 = K\{IV + 1\}$
  - $z_i = K\{IV + i\}$
  - key stream:  $K\{IV\}, K\{IV + 1\}, K\{IV + 2\}, \dots$
- ▶ Properties
  - fully parallelizable
  - most used block cipher mode
  - good  $IV$  management is critical for security



## Message authentication code (MAC) functions

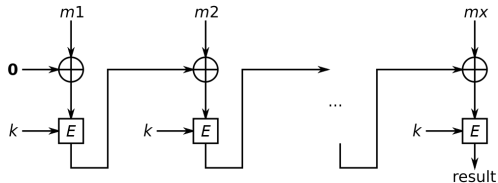


$$\text{mac} = K_{\text{mac}}\{M\}$$

- ▶ MAC: cryptographic checksum
  - input: key  $K_{\text{mac}}$  and arbitrary-length message  $M$
  - output:  $\ell$ -bit mac or tag  $T$  with  $\ell$  some length
- ▶ Applications:
  - message integrity: append mac to message
  - authentication protocols: compute mac over challenge



## Cipher Block Chaining MAC mode (CBC-MAC)



- ▶ Observation: in CBC encryption  $C_i$  depends on  $m_1$  to  $m_i$
- ▶ Idea:
  - Apply CBC encryption to (padded) message
  - take **mac** equal to last ciphertext block
  - throw away other blocks (**essential for security**)
- ▶ This is the basis for most block-cipher based mac functions



## Protection of sensitive data on e-passports

- ▶ Since 2006 NL passport contain contactless chip with name, date-of-birth, BSN etc. plus a digital photograph
- ▶ Since 2009 also fingerprints
- ▶ Main purpose: combat **look-alike fraud**, i.e., using someone else's passport
- ▶ Access to data on chip is delicate matter:
  - should be impossible for "someone next to you in the bus"
  - should require **consent** of passport holder
  - sensitive data (fingerprints) only for countries that are "friends" (currently, none)
- ▶ Chosen approach: accessibility of
  - picture, name etc. after user consent, via *Basic Access Control*
  - fingerprints only after terminal authentication: *Extended Access Control*



## Protection of e-passport data: consent

- ▶ Passports contain a (thick) plastic page, with embedded:
  - photo of cardholder + authenticity marks
  - chip + antenna
  - at bottom: 2-line **Machine Readable Zone** (MRZ) containing, date-of-issuance, BSN, document nr. etc.
- ▶ Essence of **Basic Access Control** (BAC):
  - cryptographic key for chip communication, derived from MRZ
  - standardized by International Civil Aviation Organization (ICAO)
  - currently rolled out on airports worldwide at border control
- ▶ Idea of **consent**: when you hand over your e-passport, the receiver can read the MRZ and communicate with the chip



## BAC keys for e-passports

- ▶ Two 3DES keys are derived from MRZ:

- $K_{\text{enc}}$ , for confidentiality
- $K_{\text{mac}}$ , for integrity

These keys are fixed, but are used to obtain session keys to protect the communication between card and reader

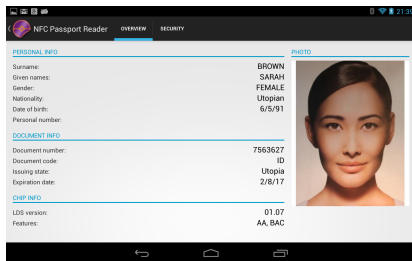
- ▶ Relevant MRZ-input for these 2 keys

- passport nr.
- birth date
- expiry date

- ▶ In early approaches the MRZ was too predictable, e.g. because document numbers were sequential



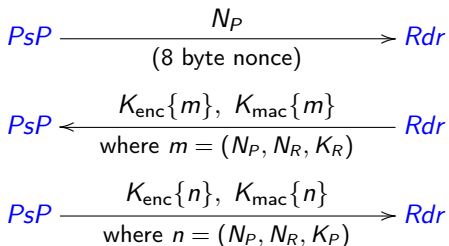
# Read your own passport, on Android with NFC



- ▶ Requires MRZ as input (via optical character recognition (OCR)), for BAC keys
- ▶ This one is developed by former group member Martijn Oostdijk, now at InnoValor; there are many others.

## BAC protocol for e-passports

Assume a card reader **Rdr** has derived the keys  $K_{\text{enc}}$  and  $K_{\text{mac}}$  of a passport **PsP**



$K_P$  and  $K_R$  are contributions from both sides to a session key, as in:  
 $K = K_P \oplus K_R$ .





## Two passport vulnerabilities

- ▶ These are “level below” attacks, using implementation details
- ▶ They exploit differences in how different smart cards react to different events—without knowing secret keys
  - Not all countries have the same card producers, so low level (hardware) differences are likely
  - The international standards (from ICAO) do not precisely specify how to react to each possible failure
- ▶ Sources are research papers (on the web):
  - (1) [RMP’08] H. Richter, W. Mostowski, and E. Poll, *Fingerprinting Passports*, NLUUG, 2008.
  - (2) [CS’10] T. Chothia and V. Smirnov, *A Traceability Attack Against e-Passports*, Financial Crypto, 2010.



## Fingerprinting e-passports [RMP'08]

**Idea:** send deliberately wrong (out-of-protocol) messages and inspect the resulting byte-sequences for different countries:

	Commands						
	44	82	84	88	A4	B0	B1
	Rehab. CHV	Ext. Auth.	Get Chall.	Int. Auth.	Select File	Read Binary	Read Binary
Australian	6982	6985	6700	6700	9000	6700	6700
Belgian	—	6E00	—	6700	6A86	6986	6700
Dutch	—	6700	6700	6982	6A86	6982	6982
French	6982	6F00	6F00	6F00	6F00	6F00	6F00
German	—	6700	6700	—	6700	6700	—
Greek	6982	63C0	6700	6982	9000	6986	6700
Italian	—	6700	—	—	—	—	—
Polish	6982	6700	6700	6700	9000	6700	—
Swedish	6982	6700	6700	—	9000	6700	—
Spanish	—	6700	6700	—	6700	6700	—

Hence, passports from different countries can be distinguished externally, via their reactions. Is this a problem?



## Excursion on timing attacks

- ▶ Suppose you write a software module for checking a PIN
- ▶ A **stupid** way is to check the digits **one-by-one**, after the whole PIN has been entered, giving an error message as soon as a digit is wrong.
- ▶ This approach is vulnerable to a **timing attack**:
  - accurately measure the time that it takes to get an error message
  - you will see timing differences between an error in the  $n$ -th digit and in the  $n + 1$ -th digit.
  - hence you can try to find the PIN digit-by-digit.
- ▶ Such timing attacks occur in practice, and can be quite subtle
  - For e-passports they were found in [CS'10].
  - They exist(ed) in many implementations
  - Including the open source version (from Nijmegen), now fixed, see: <http://jmrtd.org>



## Timing attack on the e-passport [CS'10]

- ▶ Recall the second message from the BAC protocol:

$$P_{sP} \leftarrow \frac{K_{\text{enc}}\{m\}, K_{\text{mac}}\{m\}}{\text{where } m = (N_P, N_R, K_R)} R_{dr}$$

- ▶ Many implementations do the following consecutively:
  - (1) integrity/MAC check: decrypt, recompute mac and check
  - (2) nonce check: compare incoming  $N_P$  to last-generated nonce
- ▶ An error in the first integrity-check will thus appear sooner than an error in the second nonce-check
- ▶ (Some implementations, like the French one, even give different error messages)



## How to exploit the e-passport timing attack

- ▶ Suppose I can eavesdrop an entire session for the e-passport of, say, Wilders
  - this means that I have a pair  $K_{\text{enc}}\{m\}$ ,  $K_{\text{mac}}\{m\}$
  - with secret keys  $K_{\text{enc}}$  and  $K_{\text{mac}}$  from his e-passport
- ▶ Now I can check for an arbitrary passport if it is the one from Wilders or not!
  - ask a passport for a nonce
  - replay the above message pair, and time the response
  - the nonce-check will always fail, but:
    - ▶ if the MAC-check succeeds, the passport is from Wilders!
    - ▶ if the MAC-check fails, it is not
- ▶ In order to exploit this in a physical attack, you need to get pretty close to Wilders
  - in that case you also have other attack options
  - but note: the timing attack can be fully automated



## Intermediate conclusion

**Security in practice is subtle and bloody difficult!**

